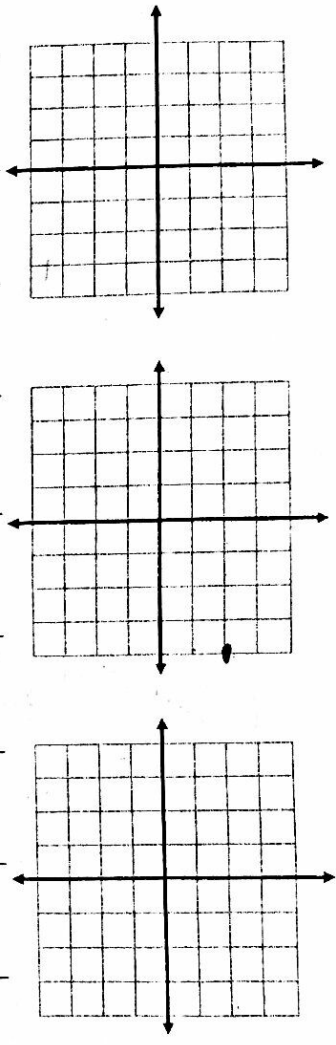


Unit 1 Review - Transformations

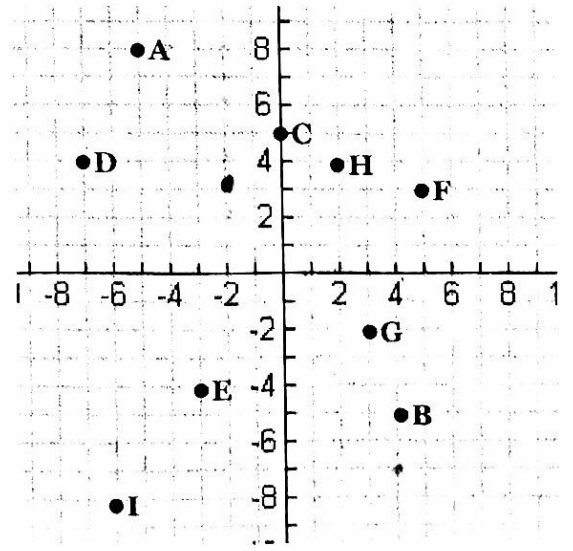
Identify the type of transformation the rule represents. Use the given rule to determine the image of (2, -4) and the pre-image of (0, 3). (Sketching a graph may help you.)

1. $T: (x, y) \rightarrow (x + 5, y - 6)$ Transformation Name: Translation
 Image of (2, -4) is (7, -10). Pre-image of (0, 3) is (-5, 9).
2. $R_x: (x, y) \rightarrow (x, -y)$ Transformation Name: Reflection
 Image of (2, -4) is (2, 4). Pre-image of (0, 3) is (0, -3).
3. $R_y: (x, y) \rightarrow (-x, y)$ Transformation Name: Reflection
 Image of (2, -4) is (-2, -4). Pre-image of (0, 3) is (0, 3).
4. $R_{y=x}: (x, y) \rightarrow (y, x)$ Transformation Name: Reflection
 Image of (2, -4) is (-4, 2). Pre-image of (0, 3) is (3, 0).
5. $R_{90}: (x, y) \rightarrow (-y, x)$ Transformation Name: Rotation
 Image of (2, -4) is (4, 2). Pre-image of (0, 3) is (3, 0).
6. $R_{-90}: (x, y) \rightarrow (y, -x)$ Transformation Name: Rotation
 Image of (2, -4) is (-4, -2). Pre-image of (0, 3) is (-3, 0).
7. $D_{0, 1/2}: (x, y) \rightarrow (1/2x, 1/2y)$ Transformation Name: Dilation
 Image of (2, -4) is (1, -2). Pre-image of (0, 3) is (0, 6).
8. $D_{0, 2}: (x, y) \rightarrow (2x, 2y)$ Transformation Name: Dilation
 Image of (2, -4) is (4, -8). Pre-image of (0, 3) is (0, 1.5).
9. $D_{0, -1}: (x, y) \rightarrow (-x, -y)$ Transformation Name: Dilation
 Image of (2, -4) is (-2, 4). Pre-image of (0, 3) is (0, -3).



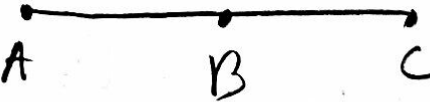
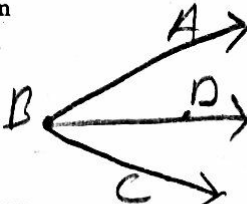

You may use the coordinate plane to determine each of the following. Identify the type of transformation and determine the image. Give your answer for the image as a coordinate point.

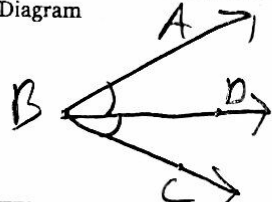
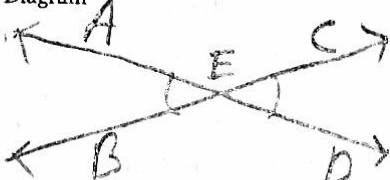
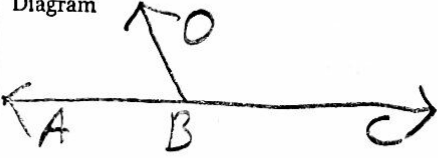
	Transformation Type	Image
10. $T: A \rightarrow (x + 3, y - 5)$	<u>Translation</u>	<u>(-2, 3)</u>
11. $R_x: B \rightarrow (,)$	<u>Reflection</u>	<u>(4, 5)</u>
12. $R_y: C \rightarrow (,)$	<u>Reflection</u>	<u>(0, 5)</u>
13. $R_{y=x}: D \rightarrow (,)$	<u>Reflection</u>	<u>(4, -7)</u>
14. $R_{90}: E \rightarrow (3, -1)$	<u>Rotation</u>	<u>(7, -3)</u>
15. $R_{-90}: F \rightarrow (5, 2)$	<u>Rotation</u>	<u>(3, -5)</u>
16. $D_{0, 3}: G \rightarrow (3, 3)$	<u>Dilation</u>	<u>(9, -6)</u>
17. $D_{0, -2}: H \rightarrow (2, 4)$	<u>Dilation</u>	<u>(-4, 8)</u>
18. $D_{0, 1/2}: I \rightarrow (-5, 0)$	<u>Dilation</u>	<u>(-3, -4)</u>



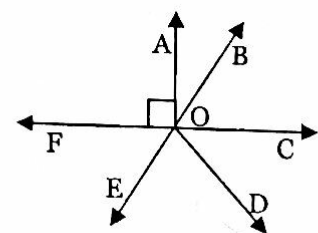
Unit 2 Review - Vocabulary

Describe each theorem, definition or postulate. Draw a diagram to represent each, and write an equation that is used to solve for values using that theorem, definition or postulate.

Segment Addition Postulate	Angle Addition Postulate	Definition of Midpoint
Description	Description	Description
Diagram 	Diagram 	Diagram 
Equation $AB + BC = AC$	Equation $m\angle ABD + m\angle DBC = m\angle ABC$	Equation $AB = BC$

Definition of Angle Bisector	Vertical Angle Theorem	Definition of Supplementary \angle s
Description	Description	Description
Diagram 	Diagram 	Diagram 
Equation $m\angle ABD = m\angle DBC$	Equation $m\angle AEB = m\angle CED$	Equation $m\angle ABO + m\angle OBC = 180$

Use the given diagram to write an equation and solve for the value of x.



1. \overline{OC} is the bisector of $\angle BOD$.
 $m\angle BOC = 9x + 3$ and $m\angle DOC = 8x + 7$
 $9x + 3 = 8x + 7$
 $x = 4$

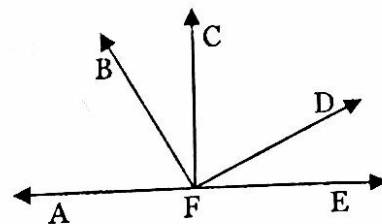
2. O is the midpoint of FC
 $FO = 3x + 6$ and $OC = 5x - 4$
 $3x + 6 = 5x - 4$
 $2x = 10$
 $x = 5$

4. $EB = 6x - 8$, $OB = 12$ and $OE = 4x - 2$
 $4x - 2 + 12 = 6x - 8$
 $4x + 10 = 6x - 8$
 $2x = 18$
 $x = 9$

3. $m\angle FOE = 3x - 1$, $m\angle EOD = 72^\circ$
 and $m\angle FOD = 6x + 11$
 $3x - 1 + 72 = 6x + 11$
 $3x + 71 = 6x + 11$
 $3x = 60$, $x = 20$

5. $m\angle EOA = 13x$ and $m\angle AOB = x + 12$
 $13x + x + 12 = 180$
 $14x = 168$
 $x = 12$

Unit 3 Review – Proofs & Reasons



Use the diagram to identify a reason that justifies each statement.

1. $AF + FE = AE$ Seg. Add. Post.
2. $m\angle BFC + m\angle CFE = m\angle BFE$ Angle Add. Post.
3. $m\angle AFB + m\angle BFE = 180^\circ$ Def. of Supp. \angle 's
4. If F is the midpoint of AE, then $AF = EF$. Def. of midpoint
5. If \overrightarrow{FD} bisects $\angle CFE$, then $m\angle CFD = m\angle DFE$. Def. of \angle bisector
6. If $\angle BFC$ and $\angle CFD$ are complementary, then $m\angle BFC + m\angle CFD = 90^\circ$. Def. of comp. \angle 's

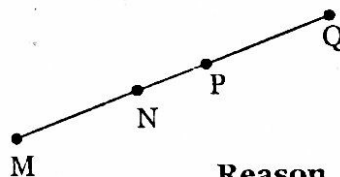
Identify the property, postulate, definition, or theorem that justifies each statement.

7. If $m\angle A + m\angle B = 180^\circ$ and $m\angle C + m\angle D = 180^\circ$.
Then $m\angle A + m\angle B = m\angle C + m\angle D$. Subst. Prop.
8. If $AB = CD$ and $EF = GH$, then $AB + EF = CD + GH$. Addition Prop.
9. If $m\angle A + m\angle B = m\angle C + m\angle B$, then $m\angle A = m\angle C$. Subtr. Prop.
10. If $MQ = MP + PQ$ and $MP + PQ = RS$, then $MQ = RS$. Transitive Prop.

Proof 1:

Given: $MP = NQ$

Prove: $MN = PQ$



Statement

Reason

1. $MP = NQ$
2. $NP = NP$
3. $MP = \underline{MN} + \underline{NP}$
4. $NQ = \underline{NP} + \underline{PQ}$
5. $MN + NP = NP + PQ$
 $MN = PQ$

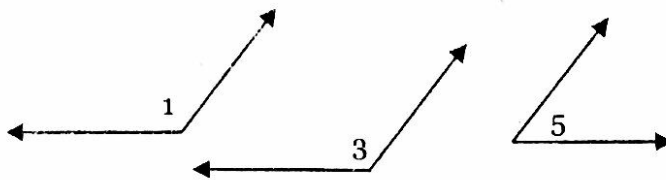
1. Given
2. Reflexive
3. Seg. Add. Post.
4. subst.
5. subtraction

Proof 2:

Given: $\angle 1$ and $\angle 5$ are supplementary;

$\angle 3$ and $\angle 5$ are supplementary;

Prove: $m\angle 1 = m\angle 3$



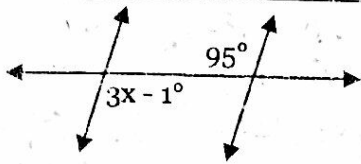
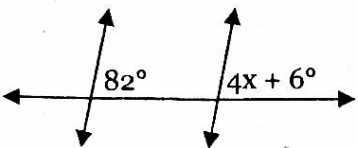
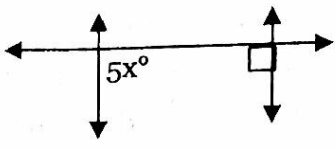
Statement

Reason

1. $\angle 1$ and $\angle 5$ are supplementary;
 $\angle 3$ and $\angle 5$ are supplementary
2. $m\angle 1 + m\angle 5 = 180$
 $m\angle 3 + m\angle 5 = 180$
3. $m\angle 1 + m\angle 5 = m\angle 3 + m\angle 5$
4. $m\angle 5 = m\angle 5$
5. $m\angle 1 = m\angle 3$

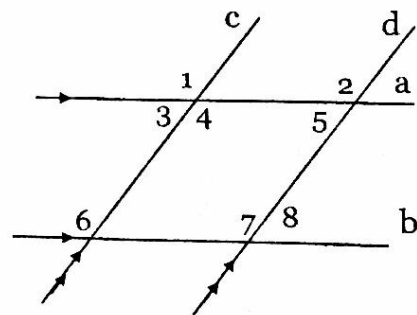
1. Given
2. Def. of Supp. \angle 's
3. substitution Prop.
4. Reflexive
5. subtraction Prop.

Unit 4 Review - Parallel Lines

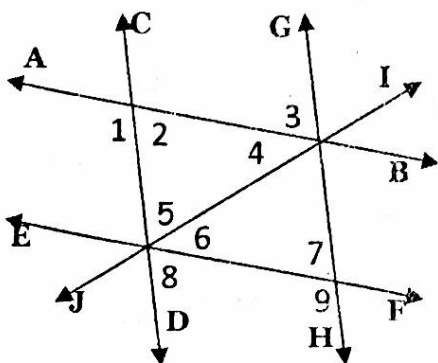
Alternate Interior \angle s	Corresponding \angle s	Same-Side Interior \angle s
When parallel lines are cut by a transversal, alternate interior angles are <u>congruent</u> .	When parallel lines are cut by a transversal, corresponding angles are <u>congruent</u> .	When parallel lines are cut by a transversal, same-side interior angles are <u>supplementary</u> .
		
Equation and Solution $3x - 1 = 95$ $3x = 96, x = 32$	Equation and Solution $82 = 4x + 6$ $76 = 4x$ $19 = x$	Equation and Solution $5x + 90 = 180$ $5x = 90$ $x = 18$

Determine the missing angle measure for each of the following angles. Justify your answer.

- If $m\angle 1 = 115^\circ$, then $m\angle 2 = \underline{115}$ because if $c \parallel d$, corr. angles are congruent.
- If $m\angle 5 = 70^\circ$, then $m\angle 8 = \underline{70}$ because if $a \parallel b$, alt. int. angles are congruent.
- If $m\angle 4 = 120^\circ$, then $m\angle 5 = \underline{60}$ because if $c \parallel d$, s-s int. angles are supp.



Using the diagram and the given information, decide if there are parallel lines. If there are, state the lines/segments that must be parallel and explain the reason why. If there are no parallel lines, write 'no parallel lines' and explain the reason why.



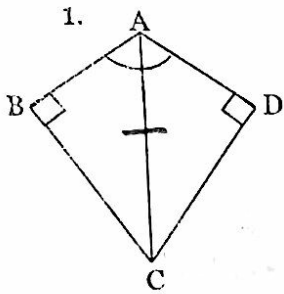
- $m\angle 3 = m\angle 7$ Yes; $\overline{AB} \parallel \overline{EF}$
 Explain: because $\angle 3$ and $\angle 7$ are corr. \angle 's that are given as \cong .
- $m\angle 4 = m\angle 6$ Yes; $\overline{AB} \parallel \overline{EF}$
 Explain: If 2 lines \overline{AC} and \overline{GD} are cut by two transversals \overline{AB} and \overline{IJ} , then the lines are \parallel .
- $m\angle 2 = m\angle 5 + m\angle 6$ No
 Explain: They are s-s int. \angle 's, so they must be supp., not \cong .
- $m\angle 8 = 90^\circ; m\angle 9 = 90^\circ$ Yes; $\overline{CD} \parallel \overline{GH}$
 Explain: 2 lines \perp to the same line are \parallel .

Unit 5 Review – Congruent Triangles

Mark your diagram with any other known congruent pair(s). Identify the postulate or theorem that proves triangles congruent by writing the letters in the boxes on the left (i.e. S, A, S).

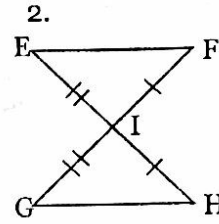
State the three congruent pairs of sides or angles that justify the triangles are congruent.

State the triangle congruence.



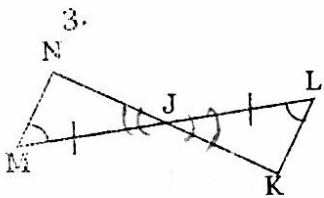
A	$\angle B \cong \angle D$
A	$\angle BAC \cong \angle DAC$
S	$\overline{AC} \cong \overline{AC}$

$\triangle ABC \cong \triangle ADC$



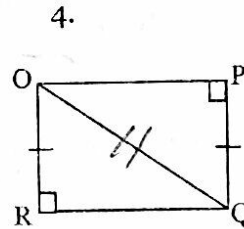
S	$\overline{EF} \cong \overline{HI}$
A	$\angle FIE \cong \angle HIG$
S	$\overline{IE} \cong \overline{IG}$

$\triangle EFI \cong \triangle GHI$



A	$\angle M \cong \angle K$
S	$\overline{MJ} \cong \overline{LJ}$
A	$\angle NJM \cong \angle KJL$

$\triangle NMJ \cong \triangle KJL$



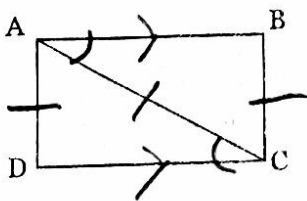
R	$\angle R \cong \angle P$
H	$\overline{OR} \cong \overline{OQ}$
L	$\overline{OR} \cong \overline{QP}$

$\triangle ORQ \cong \triangle QPO$

Mark all given and known congruent parts.

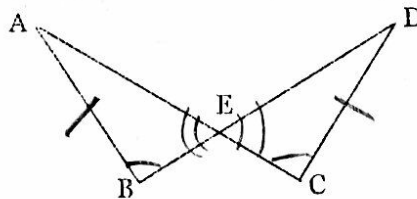
If the triangles are congruent, state the postulate or theorem that proves congruence.

5. $\overline{AB} \parallel \overline{CD}$
 $\overline{AD} \cong \overline{BC}$



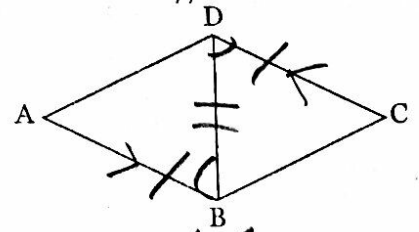
Not

6. $\angle B \cong \angle C$
 $\overline{AB} \cong \overline{CD}$



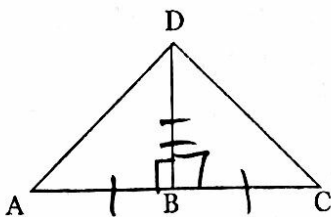
AAS

7. $\overline{AB} \cong \overline{CD}$
 $\overline{AB} \parallel \overline{CD}$



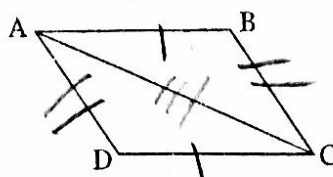
SAS

8. B is the midpoint of \overline{AC}
 $\overline{AC} \perp \overline{DB}$



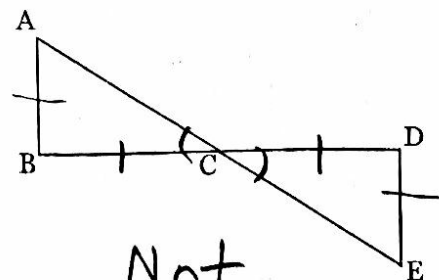
SAS

9. $\overline{AB} \cong \overline{CD}$
 $\overline{AD} \cong \overline{BC}$



SSS

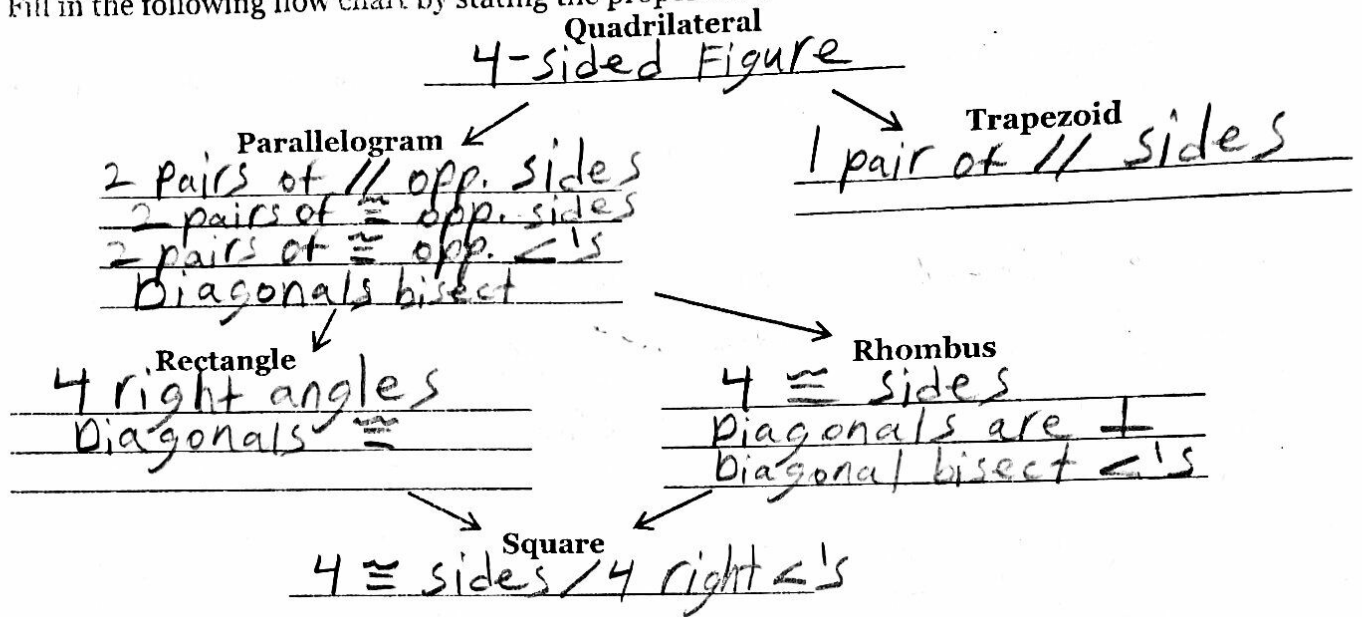
10. \overline{AE} bisects \overline{BD}
 $\overline{AB} \cong \overline{DE}$



Not

Unit 6 Review – Quadrilaterals

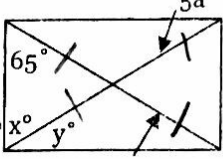
Fill in the following flow chart by stating the properties of each.



Match each shape name to the properties it has. Answers will be repeated.

- | | [A] parallelogram | [B] rectangle | [C] rhombus | [D] square | [E] trapezoid |
|--------------|------------------------------------|---------------|-------------|------------|---------------|
| 1. <u>A</u> | opposite sides are congruent | | | | |
| 2. <u>A</u> | opposite angles are congruent | | | | |
| 3. <u>B</u> | diagonals are congruent | | | | |
| 4. <u>D</u> | all sides and angles are congruent | | | | |
| 5. <u>C</u> | diagonals are perpendicular | | | | |
| 6. <u>A</u> | diagonals are bisected | | | | |
| 7. <u>C</u> | angles are bisected | | | | |
| 8. <u>B</u> | all angles are right angles | | | | |
| 9. <u>A</u> | opposite sides are parallel | | | | |
| 10. <u>E</u> | not a parallelogram | | | | |

Solve for the missing lengths or angle measures. Explain where your answers came from.

11. 

$65 + y = 90$
 $y = 25$

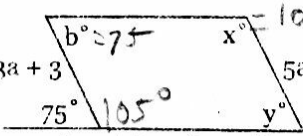
$20 = 5a \Rightarrow a = 4$
 $4b - 3 = 17$
 $4b = 20 \Rightarrow b = 5$

$a = 4$ because diagonals are \cong

$b = 5$ because opp. sides are \cong

$x = 65^\circ$ because Base \angle 's are \cong

$y = 25$ because we have complementary \angle 's

12. 

$3a + 3 = 5a - 9$
 $2a = 12$
 $a = 6$

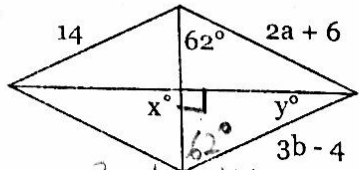
$105 + b = 180$
 $b = 75$

$a = 6$ because opp. sides are \cong

$b = 75$ because consec. \angle 's are supp.

$x = 105^\circ$ because opp. \angle 's are \cong

$y = 75^\circ$ because opp. \angle 's are \cong

13. 

$62 + y = 90$
 $y = 28$

$2a + 6 = 14$
 $2a = 8 \Rightarrow a = 4$

$3b - 4 = 14$
 $3b = 18 \Rightarrow b = 6$

$a = 4$ because all sides are \cong

$b = 6$ because all sides are \cong

$x = 90$ because diagonals are \perp

$y = 28$ because diagonals are \perp and bisect \angle 's